Using molecular simulations to predict protein-ligand binding and solvation

David Mobley







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- Finally enable cold fusion

Drug design: Drug discovery is hard and expensive

- \$50B /yr in Pharma, billions at NIH
- Long, costly pipeline
 - –Screening: 10⁶ compounds
 - -Takes 12-15 years
 - –Average ~ \$1 billion per drug

Inhibitors can make good drugs

Fesik et al., Nature Reviews: Cancer, 5:876; Oltersdorf et al., Nature 435:677.

Small molecules can mimic binding partners



Binding free energies involve a ratio of partition functions

$\Delta G = -k_B T \ln Q_{PL}/Q_P Q_L$



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 Q_P



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Existing methods for predicting binding need improvement



 Docking can't calculate binding free energies, or even relative binding strengths



Warren et al, JMC. 49:5912 (2005); also Velec et al., JMC. 48:6296 (2005), Huang et al., JMC. 49:6789 (2006)









Wonderful experimental model system to improve binding calculations



- Simple nonpolar cavity
- Well characterized
- Easy to get structural data
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If this won't work on a simple binding site...

Here, docking performs poorly for relative binding strengths



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Cycle: Boresch et al., J. Phys. Chem. B 107:9535 (2003) See also Gilson, Biophys J. 1997.

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Our approach requires no knowledge of bound structure





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Generate starting conformations using docking

Test: In apolar cavity, docking performs poorly



Step 1: Free energy calculations do work better than docking



Problem: Multiple ligand orientations are hard to sample



Even 5 ns for each simulation is not enough

Solution: Separate calculations for different orientations



 $\Delta G^o = -k_B T \ln \left(e^{-\frac{\Delta G^o_1}{k_B T}} + e^{-\frac{\Delta G^o_2}{k_B T}} \right)$

Mobley et al, J. Chem. Phys. 125:084902 (2006)
Step 1: Docking + free energy calculations was promising



RMS error 3.5 kcal/mol

Step 2: Free energies improve when multiple orientations are included



RMS error 2.5 kcal/mol

Step 2: Free energies improve when multiple orientations are included



Remaining problems partly due to conformational change



From apo structure: ΔG =-3.0+/-0.1 kcal/mol From holo structure: ΔG =-7.3+/-0.1 kcal/mol Experiment: -4.6 kcal/mol

Solution: Confine-and-release



- Restrict protein
- Bind ligand
- Release protein

D. Mobley, J. Chodera, K. Dill, J. Chem. Theory. Comput. 3: 1231 (2007).

Confine-and-release approach works



From apo structure: ΔG =-3.5+/-0.2 kcal/mol From holo structure: ΔG =-3.4+/-0.2 kcal/mol Experiment: -4.6 kcal/mol

Step 2: Without confine-and-release



RMS error 2.5 kcal/mol

Step 3: Confine-and-release helps



The remaining problems aren't from sampling... What else could cause them?

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Parameters?

Partial charges are important





Mobley et al, J. Phys. Chem. B. 125:084902 (2007)

Step 3: With confine-and-release and original charges



Step 4: Better partial charges improve agreement with experiment



RMS error 1.8 kcal/mol

Putting it all together: A blind test

	Name	Predicted ∆G (kcal/mol)	Expt. ∆G (kcal/mol)
CI	1,2-dichlorobenzene	-5.6	-6.4
H ₃ C ^{-N}	N-methylaniline	-5.4	-4.7
N CH ₃	1-methylpyrrole	-4.3	-4.4
SH SH	1,2-benzenedithiol	-2.8	< -2.7
N S	thieno[2,3c]-pyridine	-2.6	> -3.6

Successfully predicts bound orientations



1-Methylpyrrole

Mobley et al., JMB, 2007



Consider multiple orientations



Consider multiple orientations

Charge model is important



Consider multiple orientations



Charge model is important



Conformational change is key



Consider multiple orientations





Conformational change is key



Systematic improvements possible with physics-based modeling











 We use explicit solvent MD and alchemical free energy calculations analyzed with BAR

Calculated hydration free energies correlate well with experiment



- (AM1-BCC v1 charges)
- Statistics:
 - RMS error 1.23+/-0.01 kcal/mol
 - $-R^2 = 0.89 + / -0.01$
 - Mean error
 0.651+/-0.002 kcal/mol

Mobley, Cooper, Bayly, Shirts, and Dill, submitted, 2008.

Explicit solvent gives more accurate results than implicit solvent



Mobley, Chodera and Dill, J. Phys. Chem. B. **112: 938-946 (2008).**







- Explicit solvent
 - Does the "average" response look like that of a continuum solvent model?
 - What about the nonpolar part?





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Artificial solutes provide a sensitive probe of water's electrostatic response

Consider two artificial ring-shaped solutes:



Hydration free energy: -26.01 kcal/mol



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• In implicit solvent, the hydration free energies are equal!

Water does *not* respond as a dielectric continuum – structure is crucial

Hydration asymmetry is driven by the structure of water

What did we learn about water?

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Water's electrostatic response is asymmetric with respect to charge

What did we learn about water?



Water's electrostatic response is asymmetric with respect to charge

This asymmetry is due to the inherent asymmetry of the water molecule

Possible points of collaboration

- Computational studies of:
 - Biomolecular binding/interactions
 - Thermodynamic properties (transfer free energies, solubility, etc.)
 - Proteins/nucleic acids
 - Organic solvents
- Testing/improving molecular dynamics simulations and algorithms

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 - Polar: Sarah Boyce, Brian Shoichet, Ken Dill
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 - Christopher Bayly, Matthew Cooper, Michael Shirts (WCA separation), Ken Dill
- Asymmetry:
 - Alan Barber II, Christopher Fennell, Ken Dill